

review q 4: $3 * .6 * .6 * .4$

5

$$\binom{3}{1, 1, 1} = \frac{3!}{1!1!1!} = 3$$

$$3 \binom{18}{2, 16} = \binom{18}{16, 2} = \binom{18}{2, 16}$$

6

A = event that you picked 6-sided die
 $p(A) = 1/2$
 2 = event that you threw 2
 $p(2|A) = 1/6$
 $p(2|A') = 1/12$
 $P(2 \text{ and } A) = p(2|A) p(A) = 1/12$
 $p(2 \text{ and } A') = p(2|A') p(A') = 1/24$
 $p(2) = 1/8$
 $p(A|2) = \frac{p(2 \text{ and } A)}{p(2)} = \frac{1/12}{1/8} = 2/3$

7 you think

8 even: 2 4 6 8 10 12 $p=1/2$
 mult of 3: 3 6 9 12 $p=1/3$
 both: 6 12 $p=1/6$
 indep? definition A, B indep iff $p(A \text{ and } B) = p(A) p(B)$
 yes

What if $S = \{1, 2, \dots, 10\}$

even: 2 4 6 8 10 $p=1/2$
 mult of 3: 3 6 9 $p=3/10$
 both: 6 $p=1/10$

indep? no

text prob 2.99 on p 91

$p = .05$ of a particular chip being bad

if I buy 8 chips $p(\text{all good})? .95^8$

if I buy 9 chips $p(\text{exactly 8 good}) = (9 \text{ choose } 1) .95^8 .05$
 $= .29$

$p(\text{I had to buy 9 to get 8 good ones}) = (8 \text{ choose } 1) .95^8 .05$

$p(\text{I had to buy 10 to get 8 good}) = (9 \text{ choose } 2) .95^8 .05^2$

$p(\text{I had to buy } n \text{ to get 8 good}) = (n-1 \text{ choose } 7) .95^8 .05^{(n-8)}$



clicker 3.1 $p(1 \text{ bad}) = 1e-10$.

if all indep, approx $p(\text{any 1 of 9}) = 9 * 1e-10$.

next level of accuracy, use binomial.

$$9 * 1e-10^1 (1-1e-10)^8$$

to approx $(1-e)^n = 1-ne$ if n big and e small and ne small.

$$(1-e)^n = 1-ne + \binom{n}{2} e^2 - \binom{n}{3} e^3 \dots$$

here e is any small number not 2.718..

$$.99^{10} \quad (1-.01)^{10} = 1 - 10*.01 + 45 * .0001 + \dots$$

$$= 1 -.1 + .0045 - \dots$$

X is a r.v. uniform in $[10, 20]$.

$$f(x) = \begin{cases} 0 & \text{if } x < 10 \\ .1 & \text{if } 10 < x < 20 \\ 0 & \text{if } x > 20 \end{cases}$$

$$p(a < x < b) =$$

$$\int_a^b f(x) dx$$

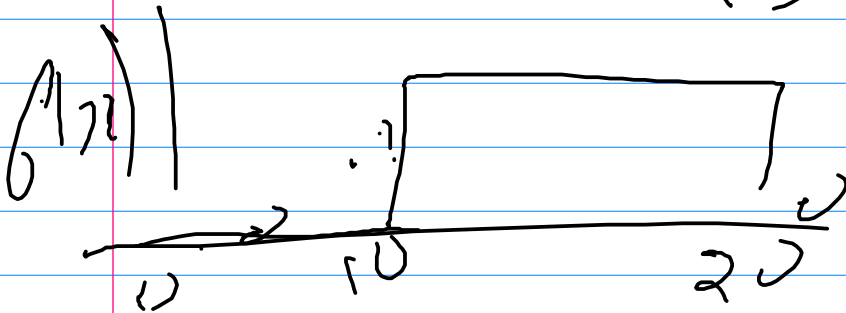
$$P(12 < x < 18) = \int_{12}^{18} f(x) dx$$

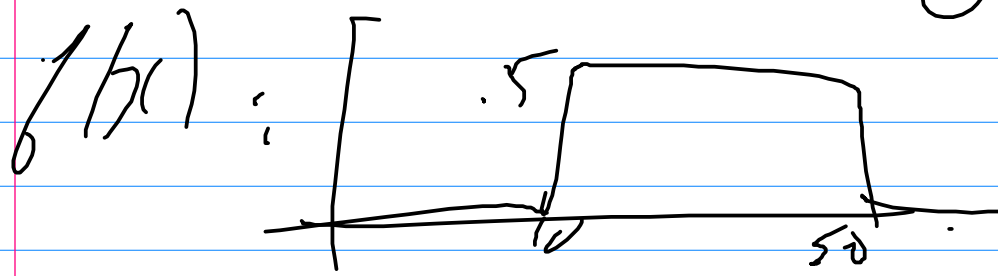
$$= \int_{12}^{18} .1 dx$$

$$= .6$$

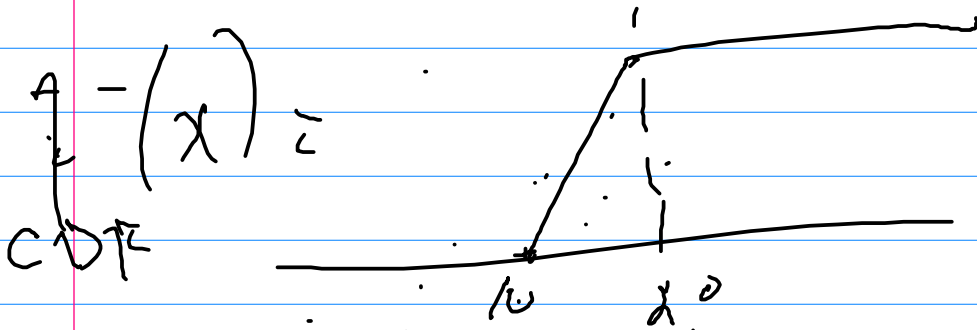
$$P(5 \leq x \leq 15) = \int_5^{15} f(x) dx$$

$$= .5$$





$$F(x) = P(X \leq x)$$



$$F(x) = \int_{-\infty}^x f(y) dy$$

Normal dist

$$f(x) = \frac{1}{\sqrt{2\pi}} e^{-\left(\frac{x^2}{2}\right)}$$

$$\mu = 0$$

$$\sigma = 1$$

